









Fairness

- Many plausible definitions. A standard recipe:
 - Measure throughput of nodes = x_p over a given time interval
 Say that a distribution with lower standard deviation is "fairer"
 - than a distribution with higher standard deviation.
 - Given number of nodes, N, fairness F is defined as

$$F = \frac{\left(\sum_{i=1}^{N} x_i\right)^2}{N \sum_{i=1}^{N} x_i^2}$$

- $1/N \le F \le 1$, where F=1/N implies single node gets all the throughput and F=1 implies perfect fairness.
- We'll see that there is often a tradeoff between fairness and utilization, i.e., fairness mechanisms often impose some overhead, reducing utilization

l octuro 18 Slido #

Channel Sharing Protocols Protocol ≡ "rules of engagement" for good performance - Known as media access control (MAC) or multiple access control Time division - Share time "slots" between requesters - Prearranged: time division multiple access (TDMA) - Not prearranged: contention protocols (e.g., Alohanet). Frequency division - Give each transmitter its own frequency, receivers choose "station" - Cf. lab for PS 6 - use different carrier frequencies & recv filters Code division - Uses unique orthogonal pseudorandom code for each transmitter - Channel adds transmissions to create combined signal - Receiver listens to one "dimension" of combined signal using dot product of code with combined signal - Not covered in 6.02 Lecture 18 Slide

Abstraction for Shared Medium Time is divided into *slots* of equal length Each node can start transmission of a packet only at the beginning of a time slot All packets are of the same size and hence take the same amount of time to transmit, equal to some integral multiple of time slots. If the transmissions of two or more nodes overlap, they are said to *collide* and <u>none</u> of the packets are received correctly. Note that even if the collision involves only part of the packet, the entire packet is assumed to be lost. Transmitting nodes can detect collisions, which usually means they'll retransmit that packet at some later time. Each node has a queue of packets awaiting transmission. A

- node with a non-empty queue is said to be *backlogged*.
- Depending on context, nodes may hear each other perfectly (eg, Ethernet), or not at all (e.g., satellite ground stations), or partially (e.g., WiFi devices or cell phones). For now, assume all nodes want to send packets to a fixed "master" (eg, base station) 6.02 Fall 2021

Time Division Multiple Access (TDMA)

- Suppose that there is a centralized resource allocator and a way to ensure time synchronization between the nodes for example, a cellular base station.
- For *N* nodes, give each node a unique index in the range [0,N-1]. Assume each slot is numbered starting at 0.
- Node *i* gets to transmit in time slot *t* if, and only if, *t* mod *N* = *i*. So a particular node transmits once every *N* time slots.
- No packet collisions! But unused time slots are "wasted", lowering utilization. Poor when nodes send data in bursts or have different offered loads.

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Stabilization: Selecting the Right p

- Setting *p* = 1/*N* maximizes utilization, where *N* is the number of *backlogged* nodes.
- With bursty traffic or nodes with unequal offered loads (aka *skewed loads*), the number of backlogged is constantly varying.
- Issue: how to dynamically adjust *p* to achieve maximum utilization?
 - Detect collisions by listening, or by missing acknowledgement
 - Each node maintains its own estimate of p
 - If collision detected, too much traffic, so decrease local *p*
 - If success, maybe more traffic possible, so increase local *p*
- "Stabilization" is, in general, the process of ensuring that a system is operating at, or near, a desired operating point.
 - Stabilizing Aloha: finding a p that maximizes utilization as loading changes.

Lecture 18 Slide #1

Lecture 18 Slide #19

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Binary Exponential Backoff

- Decreasing p on collision
 - Estimate of N (# of backlogged nodes) too low, p too high
 - To quickly find correct value use multiplicative decrease: $p \leftarrow p/2$
 - k collisions in a row: p decreased by factor of 2^{-k}
 - <u>Binary</u>: 2, <u>exponential</u>: k, <u>back-off</u>: smaller $p \rightarrow$ more time between tries
- Increasing *p* on success
 - While we were waiting to send, other nodes may have emptied their queues, reducing their offered load.

Lecture 18 Slide #18

- If increase is too small, slots may go idle
- Try multiplicative increase: $p \leftarrow min(2^*p, 1)$
- Or maybe just: $p \leftarrow 1$ to ensure no slots go idle

python PS7_stabaloha.py -r -n 10 -t 1000











Dear Professor Balakrishnan,

I just wanted to let you know how my IAP has been going because I've been using a few 6.02 concepts. I'm interning at Quizlet.

... I also worked on making a testing tool. I set up a node server to manage many headless browsers (using phantomjs). I realized that phantomjs wasn't built to manage the number of connections I required. Then I noticed that this was similar to the problem of connecting multiple clients to the same router. So I set up a system similar to one of the 6.02 labs in which everyone was assigned a random time to start their connection, over a period of time. When a browser started initialising, I put on a lock that made other browsers attempting to connect wait another random time period. Once the "messy" part of the initialisation was done, I unset the lock in order to allow other clients to connect.

I had to implement various other 6.02ish features like exponential back off, and I've also noticed that node.js is (of course) a very 6.02 type of project. For example, it has a concept of heartbeats.

Best, Chase (Fall 2011 student that sat in the front row and whom you approached at the gym)

Spot Quiz

- In Aloha, each node maintains a variable, *p*. What does *p* represent? [P(x) is "probability of event x"]
 - A. P(node being backlogged)
 - B. P(backlogged node sends in a timeslot)
 - C. P(packet transmission is received correctly)
 - D. P(time slot is kept idle)
- In *stabilized* Aloha, the value of *p* never goes below pmin. Why should pmin not be too small?
 - A. To increase the utilization
 - B. To avoid extreme unfairness
 - C. To reduce the problems caused by the "capture effect"
 - D. To reduce the number of collisions
- Slotted Aloha, packet size 1 slot, N backlogged nodes, each node has a *fixed p*. Calculate: P(*collision* in a timeslot)

ecture 18 Slide #2

Spot Ouiz 1. In Aloha, each node maintains a variable, p. What does p represent? [P(x) is "probability of event x"] A. P(node being backlogged) (B.) P(backlogged node sends in a timeslot) C. P(packet transmission is received correctly) D. P(time slot is kept idle) 2. In **stabilized** Aloha, the value of *p* never goes below pmin. Why should pmin not be too small? A. To increase the utilization (B.) To avoid extreme unfairness $\bar{C}.\;\;$ To reduce the problems caused by the "capture effect" D. To reduce the number of collisions 3. Slotted Aloha, packet size 1 slot, N backlogged nodes, each node has a *fixed p*. Calculate: P(*collision* in a timeslot) Soln: $P(\text{collision}) = P(\geq 2 \text{ xmits}) = 1 - P(\text{no xmit}) - P(1 \text{ xmit}) =$ $P(\text{no xmit}) = (1-p)^{N}; P(1 \text{ xmit}) = Np(1-p)^{(N-1)}$ Therefore, $P(\text{collision}) = 1 - (1-p)^N - Np(1-p)^{(N-1)}$. Lecture 18 Slide #27

6.02 Introduction to EECS II: Digital Communication Systems Fall 2012

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