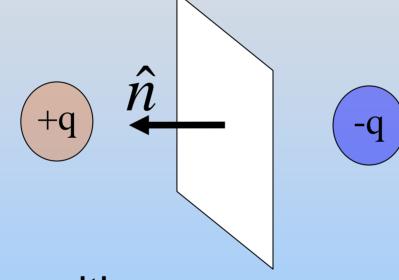
### **Concept Question: Flux**

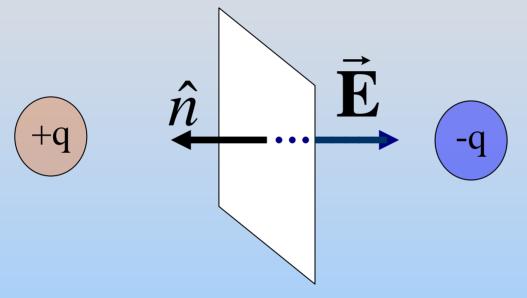
The electric flux through the planar surface below (positive unit normal to left) is:



- 1. positive.
- 2. negative.
- 3. zero.
- 4. I don't know

#### **Concept Question Answer: Flux**

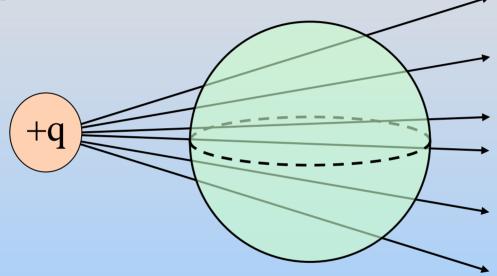
Answer: 2. The flux is negative.



The field lines go from left to right, opposite the assigned normal direction. Hence the flux is negative.

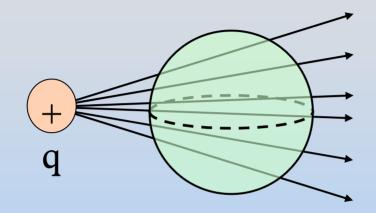
# Concept Question: Flux thru Sphere

The total flux through the below spherical surface is



- 1. positive (net outward flux).
- 2. negative (net inward flux).
- 3. zero.
- 4. I don't know

#### Concept Question Answer: Flux thru Sphere Answer: 3. The total flux is zero

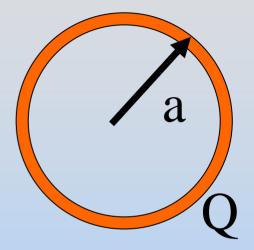


We know this from Gauss's Law:  $\Phi_E = \iint_{\text{closed surface } S} \stackrel{\mathbf{r}}{\mathbf{E}} \cdot \stackrel{\mathbf{r}}{d\mathbf{A}} = \frac{q_{in}}{\varepsilon_0}$ 

No enclosed charge  $\rightarrow$  no net flux. Flux in on left cancelled by flux out on right

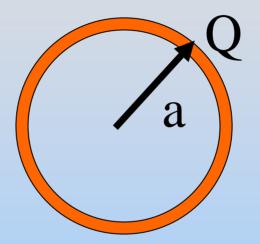
# **Concept Question: Spherical Shell**

We just saw that in a solid sphere of charge the electric field grows linearly with distance. Inside the charged spherical shell at right (r<a) what does the electric field do?



- 1. Constant and Zero
- 2. Constant but Non-Zero
- 3. Still grows linearly
- 4. Some other functional form (use Gauss' Law)
- 5. Can't determine with Gauss Law

#### Concept Question Answer: Flux thru Sphere Answer: 1. Constant and Zero



Spherical symmetry

F = 0!

→ Use Gauss' Law with spherical surface.
Any surface inside shell contains no charge
→ No flux

### **Concept Question: Slab of Charge**

Consider positive, semi-infinite (in x & y) flat slab z-axis is perp. to the sheet, with center at z = 0.

At the plane's center (z = 0), **E** 

$$\int \frac{d^2 d}{dt} \mathbf{X} = \mathbf{C}$$

- 1. points in the positive z-direction.
- 2. points in the negative z-direction.
- 3. points in some other (x,y) direction.
- 4. is zero.
- 5. I don't know

#### **Concept Question Answer: Slab of Charge** Answer: 4. E(z=0) is zero

$$2d \qquad \mathbf{X} \qquad \mathbf{z} = 0$$

- •Symmetry tell us this the amount of charge above and below the center of the plane is equal hence the fields cancel.
- •Another way of thinking about this:
- •Since you can't tell which way the field would point it must be 0.

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