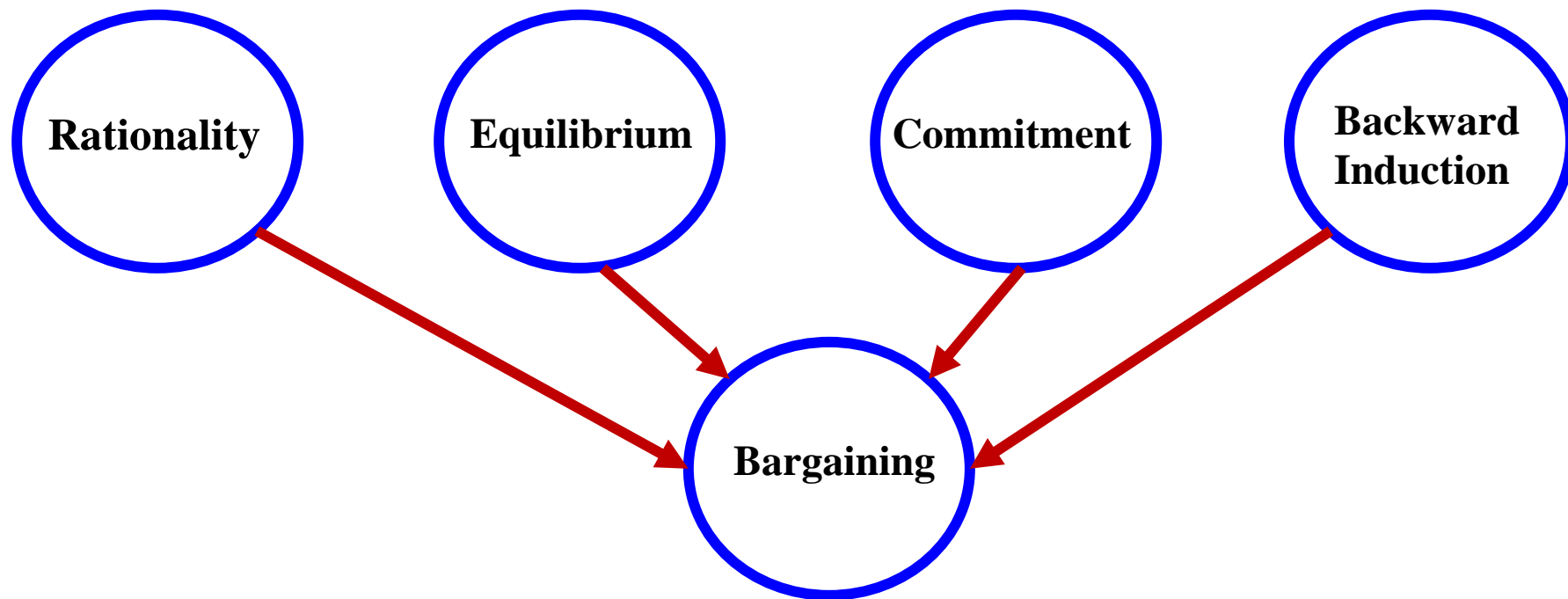


**Game Theory  
for  
Strategic Advantage**

**15.025**

**Alessandro Bonatti  
MIT Sloan**

# Overview of Foundations



# Today's Class

## Bargaining fundamentals

1. Players
2. Added Values
3. Procedures
  - Right of first refusal
  - Clauses as commitments

# Iberia Deal: Background

- Iberia replacing Boeing 747s
- Airbus, Boeing offer similar planes
- Current fleet mostly Airbus
- Boeing participates → Months-long “dogfight”
- Iberia’s CFO “structured everything to maintain tension up to the last 15 minutes”

# Iberia Deal: Key Elements

- Switching costs (current and prospective)
  - ....
- Price competition vs. product competition
  - ....
- Determinants of bargaining power
- “With 200 airlines and two plane makers, you think we’d get a little more respect.”

(Airbus’ Top Salesman)

# ***Co-opetition: Games at HBS***

- Professor and students play cards
- Dean puts up \$2,600 in prize money
- Free-form negotiation with one rule
- *Bargain on an individual basis*

# The Logic of Added Value

- Cards example
  - Added value = extra surplus (“pie”) generated when you are in the game
  - Can never obtain more than your added value
- Cities for NFL teams
- 3G licenses (after spring break)
- “Larger share of a smaller pie” = monopoly power

# John Nash's Bargaining Game

- The “demands game”:
  - Two players split a pot worth \$10 million
  - Simultaneous moves
  - Each player makes a “demand”
  - Compatible demands: split the difference evenly
  - Incompatible demands: lose everything
  
- Sounds familiar?



# Game-Theoretic Analysis

- Players:  $i$  and  $j$
- Actions:  $x_i$  = player  $i$ 's demand
- Payoffs:  $x_i + 0.5*(10 - x_i - x_j)$  if  $x_i + x_j \leq 10$   
*zero if  $x_i + x_j > 10$*
- $i$ 's best response:  $x_i^*(x_j) = 10 - x_j$

# Game-Theoretic Analysis

- Mutual best responses:
- $x_i = 10 - x_j$
- $x_j = 10 - x_i$
- Every exact split ( $x_i + x_j = 10$ ) is an equilibrium!
- Added values = ??
- Often select “focal point:” the equilibrium (5, 5)

# Competing Demands Game

- Three players (airbus, boeing, and iberia)
- Simultaneous moves
- Each player makes a demand  $\rightarrow (x_a, x_b, x_i)$
- Iberia then picks either  $x_a$  or  $x_b$
- Compatible demands: split the difference evenly
- Incompatible: lose everything

# Game-Theoretic Analysis

- Backward induction: Iberia picks  $x_a$  if  $x_a < x_b$
- Ties broken by coin flip
- $u_i = x_i + 0.5*(10 - x_i - \min\{x_a, x_b\})$  (if sum < 10)
- $u_a = x_a + 0.5*(10 - x_i - x_a)$  (if  $x_a < \min\{10 - x_i, x_b\}$ )
- Best responses:
  - $x_i^*(x_a, x_b) = 10 - \min\{x_a, x_b\}$
  - $x_a^*(x_i, x_b) = \min\{10 - x_i, x_b - \varepsilon\}$
- Unique Nash Equilibrium:  $(x_i = 10, x_a = x_b = 0)$
- *Added values??*

# Demands Game: Key Elements

- 2 sellers vs. 1 buyer
- More generally: *relative scarcity* (“short side”)
- Strategic move: create scarcity!

In practice (suppose you are selling):

1. Add buyers!
2. Reduce objects!

# Bringing Players In (*Co-opetition*, Ch.4)

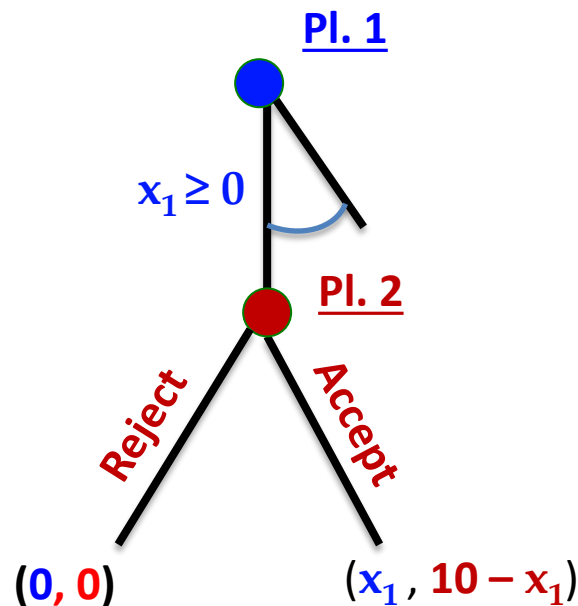
- Boeing thought it was worth to play... Why?
- What if it isn't?
  - Nutrasweet (Monsanto) vs. Holland Sweetener
  - CSX vs. Norfolk Southern (railroads)
- Get paid to play!
  - McCaw, LIN, and BellSouth (telephone licenses)
- Always ask: who stands to gain? *Cicero*

# Alternating Offers

- New bargaining protocol
- Sequential version of the demands game
- First mover: what do you ask for? **Ultimatum**

# Ultimatum Game

- Dividing \$10 million
- Player **1** makes a first and final offer
- Player **2** can accept or reject
- Game tree?



- B.I. outcome: { *demand*  $x_1 = 10$  , *accept* }
- Culture & background matter

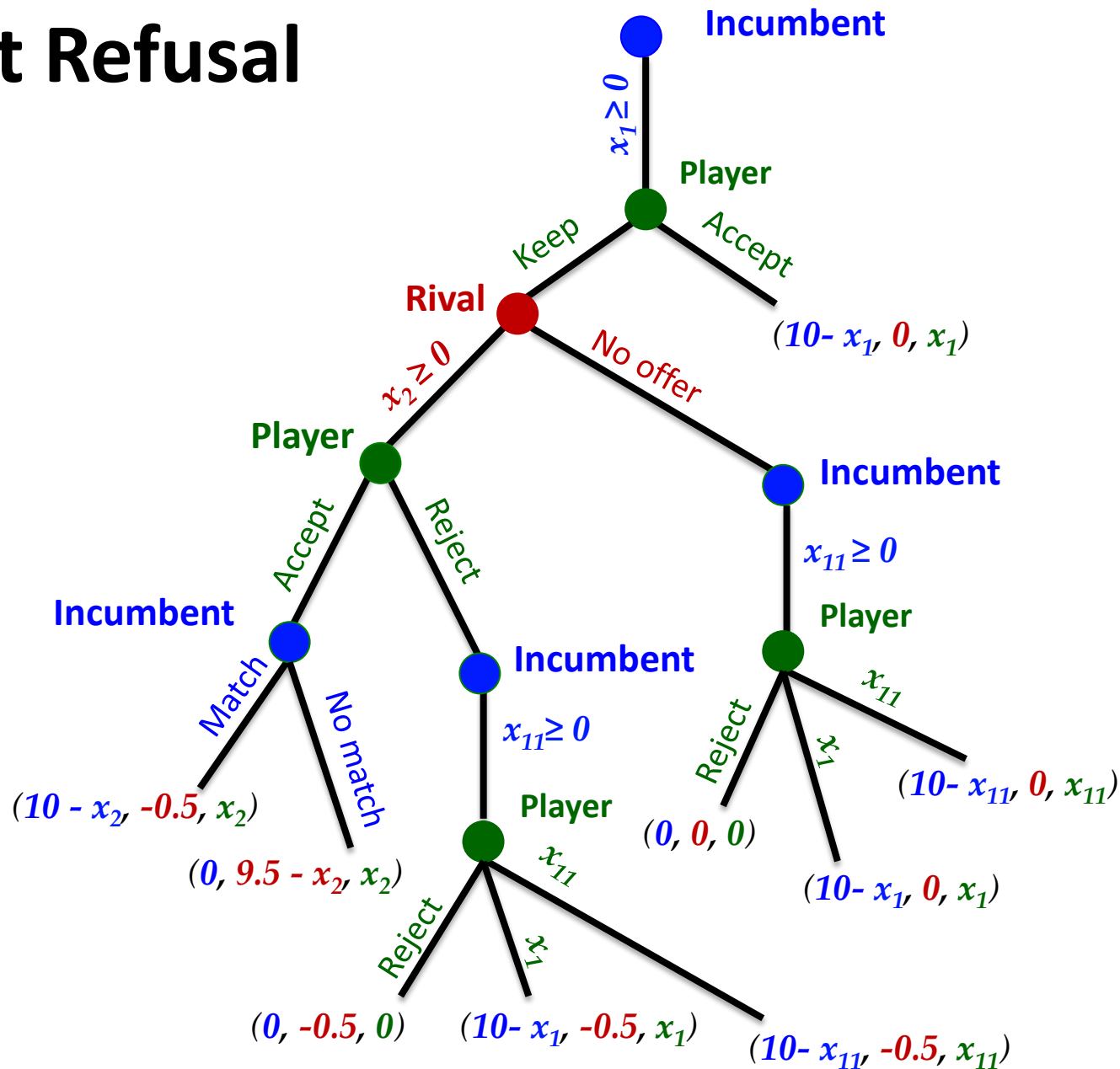


# Alternating Offers

- Bargaining protocol matters!
- Sequential version of the demands game
- First mover: what do you ask for? **Ultimatum**
  - Knowledge of rationality
  - Knowledge of the game
- What if the other player can make a counter-offer?
- How can you change the rules to your advantage?

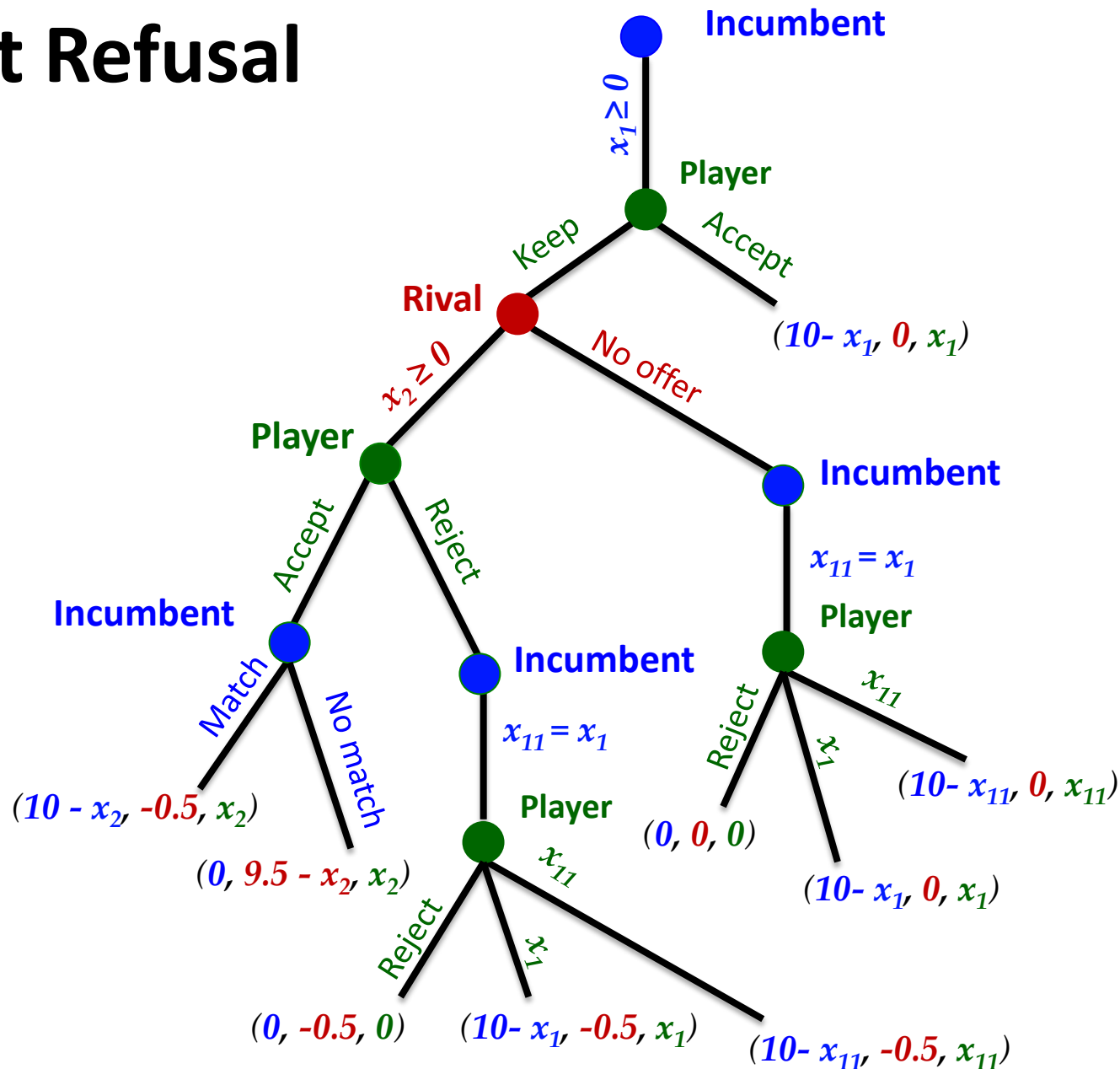
# Right of First Refusal

- Incumbent makes offer  $x_1$
- Player accepts or keeps
- Rival can make (costly!) offer  $x_2$
- Player may sign or reject
- If sign: Incumbent can match
- If reject: Incumbent can make new offer
- Player chooses one of incumbent's offers (if any)



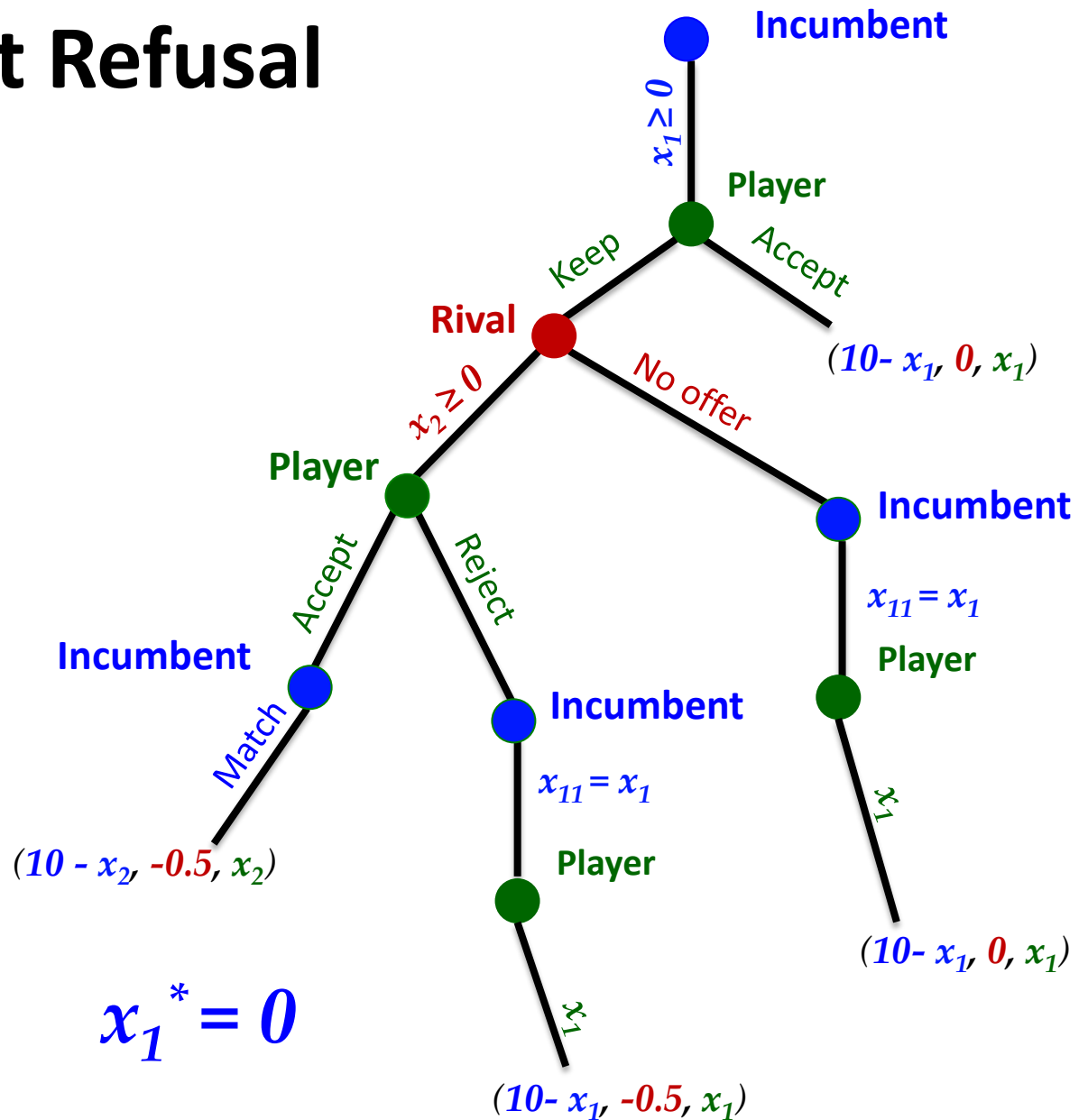
# Right of First Refusal

- If player doesn't sign offer sheet, incumbent won't upgrade offer
- Player will accept original offer
- Incumbent would match any offer of \$10m or less



# Right of First Refusal

- Whatever the player's action, the Rival loses by making an offer
- Two backwards-induction outcomes
- Incumbent wins



# RoFR: Winners and Losers

- **Incumbent** wins with an offer of (close to) zero!
- Would you make an offer (as the **Rival**)?
  - What are the actual payoffs?
  - Symmetric game?
  - Salary cap?
  - Repeated interaction?
- Why does the **player** lose out?

# Player's Switching Cost

- **Without** the RoFR: the incumbent exploits the switching-cost advantage (worth \$2)
- **With** the RoFR: the player can be offered the whole \$10 million by the incumbent – how?
- Why does RoFR help?
- The player commits to rejecting a lower offer!

# Takeaways

- 1) Relative scarcity → value added → bargaining power
- 2) Rules can play in your favor
- 3) Clauses as commitments
- 4) Get paid to play!

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